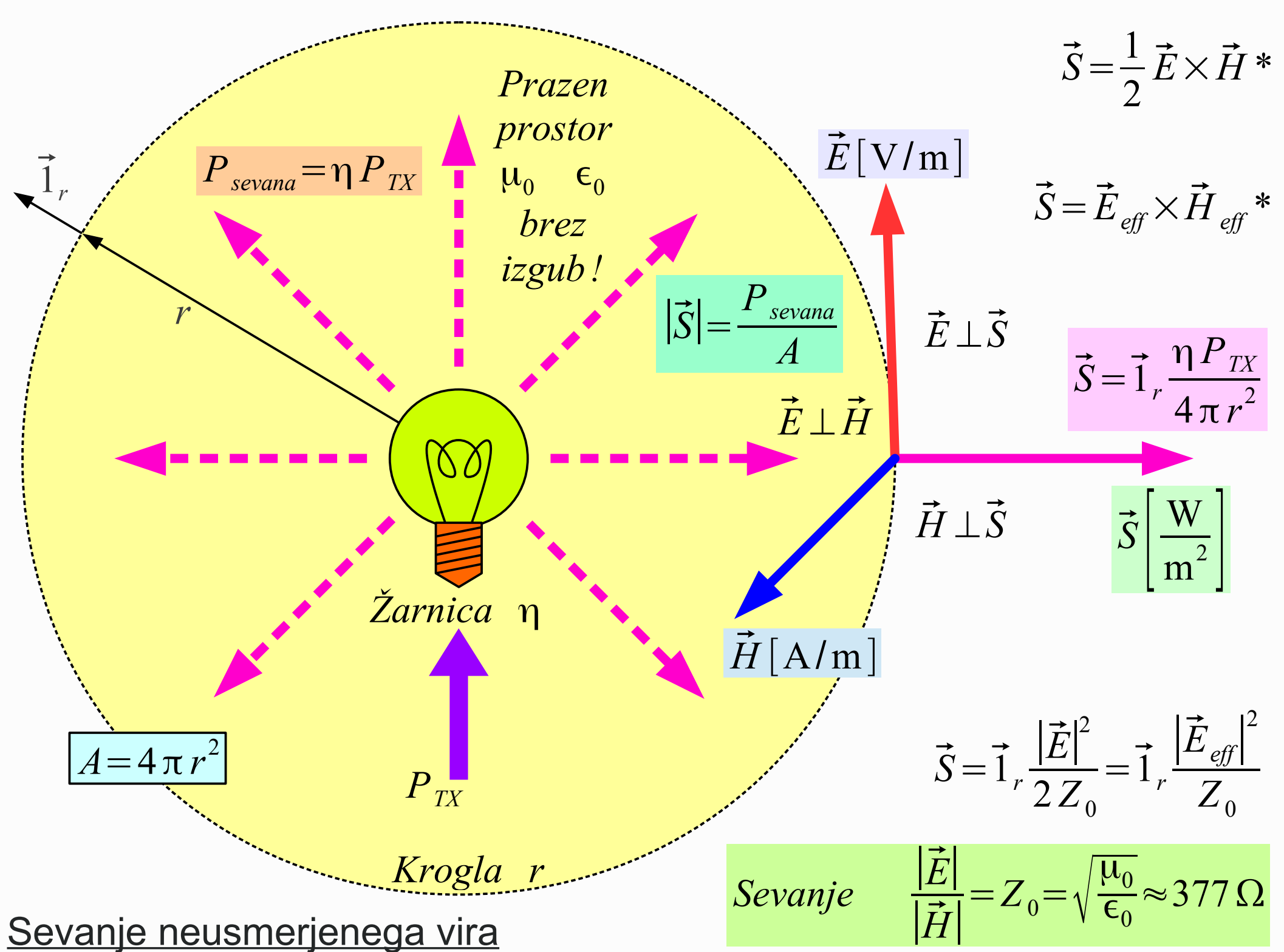
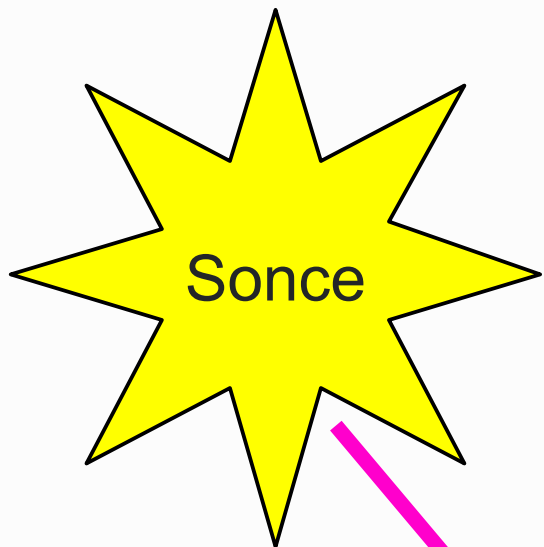


Zveza



Sevanje neusmerjenega vira



Prazen prostor
 $\mu_0 \quad \epsilon_0$
 brez izgub!

| Učinek sevanja | Gostota pretoka moči $ \vec{S} $ | | Jakost polja $ \vec{E}_{eff} $ |
|-------------------|----------------------------------|-----------------------|--------------------------------|
| Sončna svetloba | 1kW/m ² | 100mW/cm ² | 614V _{eff} /m |
| Zaznaven učinek | 100W/m ² | 10mW/cm ² | 194V _{eff} /m |
| Varna meja | 10W/m ² | 1mW/cm ² | 61V _{eff} /m |
| Zakonska omejitev | 0.1W/m ² | 10μW/cm ² | 6V _{eff} /m |

$$|\vec{S}| \approx 1 \text{ kW/m}^2$$

(na površini Zemlje)

$$|\vec{E}| = \sqrt{2 Z_0 |\vec{S}|}$$

$$|\vec{E}_{eff}| = \sqrt{Z_0 |\vec{S}|}$$

$f < 750 \text{ THz} \equiv$ neionizirajoče sevanje

$$P_{RX} = \vec{S} \cdot \vec{1}_n A_{maček} (1 - |\Gamma|^2)$$



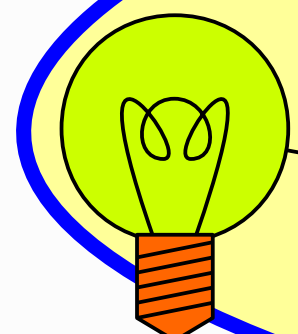
$$A_{maček} \approx 0.05 \text{ m}^2$$

$$P_{RX} \approx 50 \text{ W}$$

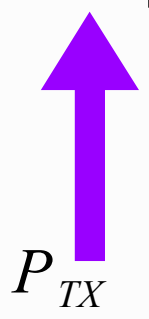
Toplotni učinki sevanja

Smernost (Directivity) $D = \frac{4\pi}{\Omega}$

Žaromet D



Žarnica η



$P_{sevana} = \eta P_{TX}$

Prazen prostor
 $\mu_0 \quad \epsilon_0$
 brez izgub!

Prostorski kot
 Ω [srd]

$A = \Omega r^2$

$\vec{S} = \vec{1}_r \frac{P_{sevana}}{A}$

r

\vec{S}

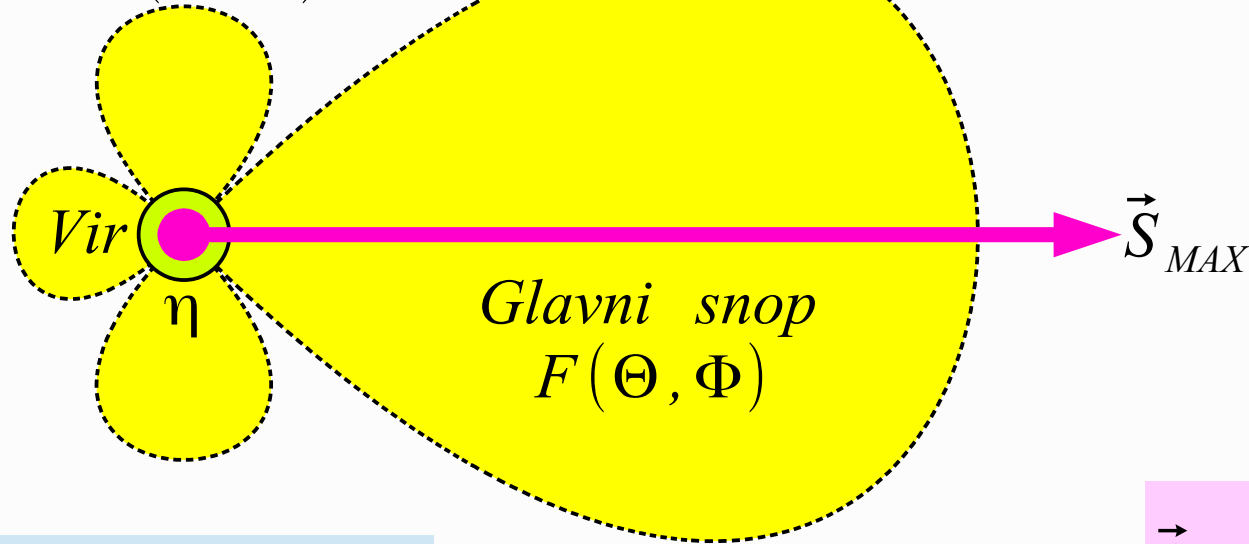
Dobitek (Gain) $G = \eta D$

$EIRP = D P_{sevana} = G P_{TX}$

$\vec{S} = \vec{1}_r \frac{\eta P_{TX}}{\Omega r^2} = \vec{1}_r \frac{\eta D P_{TX}}{4\pi r^2} = \vec{1}_r \frac{G P_{TX}}{4\pi r^2}$

Sevanje usmerjenega izvora

Stranski snopi
 $F(\Theta, \Phi)$



Prazen prostor
 $\mu_0 \quad \epsilon_0$
 brez izgub!

$$\vec{E}(\vec{r}) = \vec{1}_E \alpha I \frac{e^{-jkr}}{r} F(\Theta, \Phi)$$

$F(\Theta, \Phi) \equiv$ smerni diagram

$$\vec{S} = \vec{1}_r \frac{|\vec{E}|^2}{2Z_0}$$

$$\vec{S}(\vec{r}) = \vec{1}_r \frac{|\alpha I|^2}{2Z_0 r^2} |F(\Theta, \Phi)|^2$$

$$\vec{S}_{MAX} = \vec{1}_r \frac{|\alpha I|^2}{2Z_0 r^2} |F(\Theta_{MAX}, \Phi_{MAX})|^2$$

$$P_{sevana} = \oint\!\!\!\oint_{4\pi} \vec{S}(\vec{r}) \cdot \vec{1}_r r^2 d\Omega = \frac{|\alpha I|^2}{2Z_0} \oint\!\!\!\oint_{4\pi} |F(\Theta, \Phi)|^2 d\Omega$$

$$D = \frac{|\vec{S}_{MAX}|}{\left(\frac{P_{sevana}}{4\pi r^2}\right)} = \frac{\frac{|\alpha I|^2}{2Z_0 r^2} |F(\Theta_{MAX}, \Phi_{MAX})|^2}{\frac{1}{4\pi r^2} \frac{|\alpha I|^2}{2Z_0} \oint\!\!\!\oint_{4\pi} |F(\Theta, \Phi)|^2 d\Omega}$$

$$D = \frac{4\pi |F(\Theta_{MAX}, \Phi_{MAX})|^2}{\oint\!\!\!\oint_{4\pi} |F(\Theta, \Phi)|^2 d\Omega}$$

$$d\Omega = \sin\Theta d\Theta d\Phi$$

Smernost oddajne antene

Smerni diagram (kompleksna skalarna funkcija): $F(\Theta, \Phi)$

$$F(\Theta, \Phi) = A(\Theta, \Phi) e^{j\phi(\Theta, \Phi)}$$

Amplitudni smerni diagram: $A(\Theta, \Phi) = \pm |F(\Theta, \Phi)|$ (običajno +)

Fazni smerni diagram: $\phi(\Theta, \Phi) = \arctan \frac{\text{Im}[F(\Theta, \Phi)]}{\text{Re}[F(\Theta, \Phi)]}$ (kvadrant?)

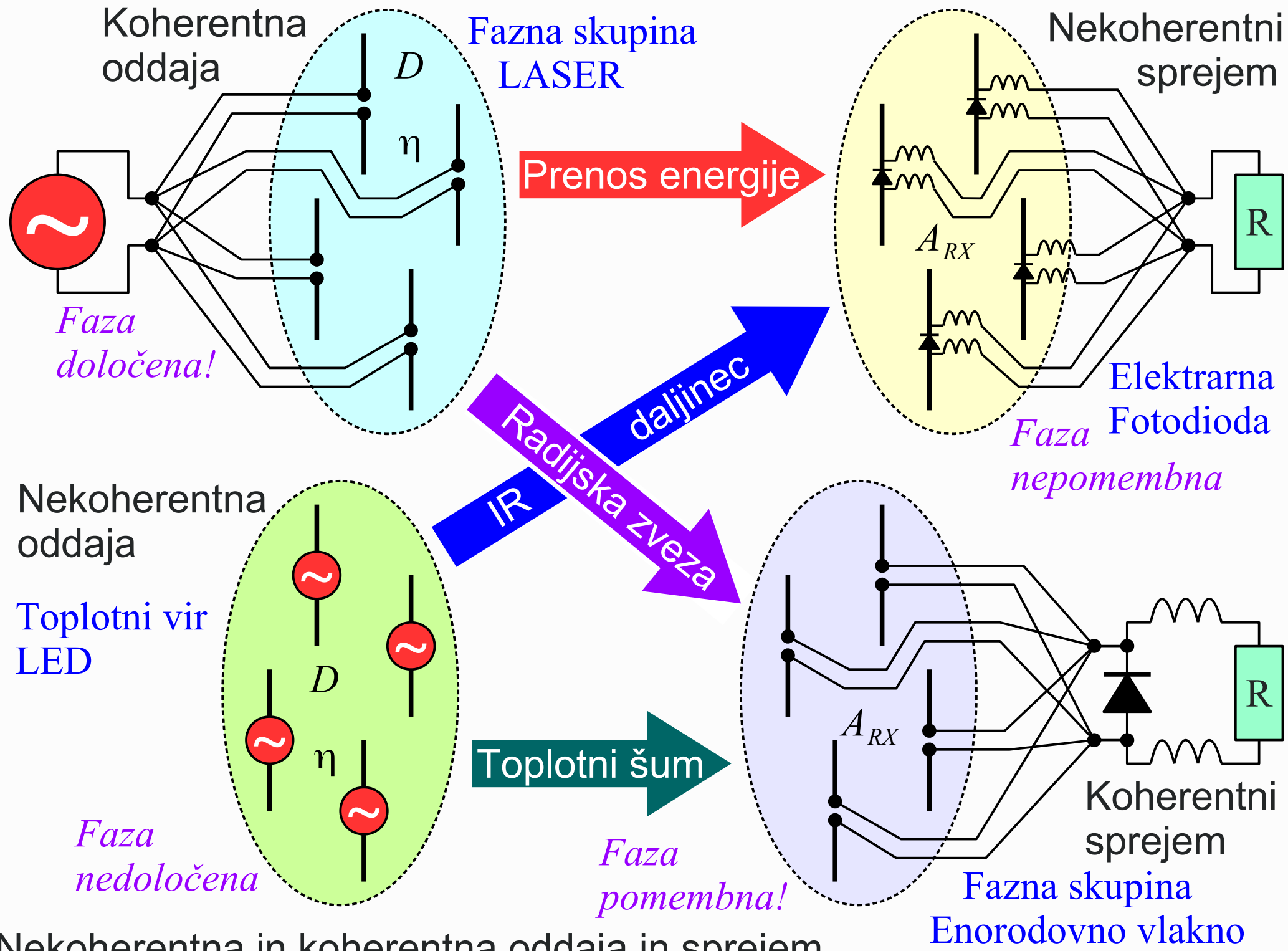
Normirani smerni diagram: $F_N(\Theta, \Phi) = \frac{F(\Theta, \Phi)}{F(\Theta_{MAX}, \Phi_{MAX})}$

Močnostni smerni diagram: $|F(\Theta, \Phi)|^2$

Logaritemski smerni diagram: $F_{dB}(\Theta, \Phi) = 20 \log_{10} \left| \frac{F(\Theta, \Phi)}{F(\Theta_{MAX}, \Phi_{MAX})} \right|$

Zgled:
 $F(\Theta, \Phi) = \sin(\Theta)$

$$\begin{aligned} D &= \frac{4\pi |F(\Theta_{MAX}, \Phi_{MAX})|^2}{\oint_{4\pi} |F(\Theta, \Phi)|^2 d\Omega} = \frac{4\pi |\sin \Theta_{MAX}|^2}{\int_0^\pi \int_0^{2\pi} |\sin \Theta|^2 \sin \Theta d\Theta d\Phi} = \\ &= \frac{4\pi |\sin(\pi/2)|^2}{2\pi \int_0^\pi (1 - \cos^2 \Theta) \sin \Theta d\Theta} = \frac{2}{\int_{-1}^1 (1 - u^2) du} = \frac{2}{4/3} = 1.5 = 1.76 \text{dBi} \end{aligned}$$



Nekoherentna in koherentna oddaja in sprejem

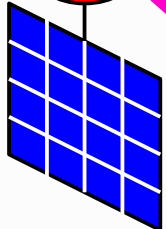
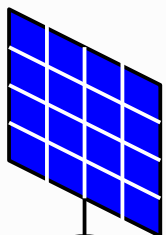
Vesoljska elektrarna

$$A_{PV} \approx 5 \text{ km}^2$$

$$P \approx 1 \text{ GW}$$

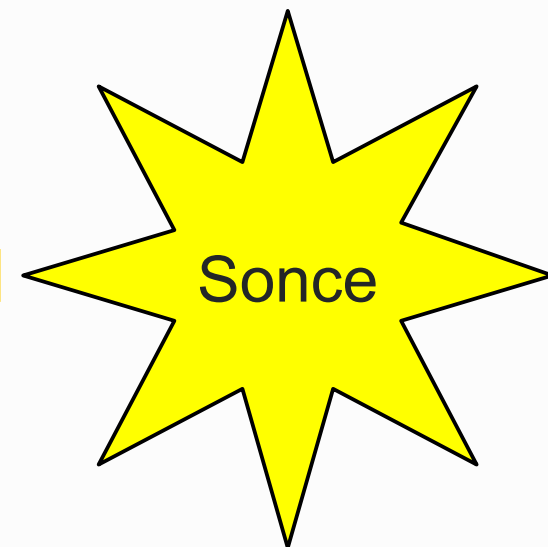
$$A_{\text{eff}TX} \approx 1 \text{ km}^2$$

Koherentna
oddaja



$$r' \approx 150 \cdot 10^6 \text{ km}$$

SVETLOBA $\sim 0.5 \mu\text{m}$



Prazen prostor

$$\mu_0 \quad \epsilon_0$$

brez izgub!

MIKROVALOVI $\sim 2.4 \text{ GHz}$

$$r \approx 40000 \text{ km}$$

Skupni izkoristek
radijskega prenosa
 $\eta \approx 70\%$

$$f \approx 2.4 \text{ GHz}$$

$$\lambda = \frac{c_0}{f} \approx 12.5 \text{ cm}$$

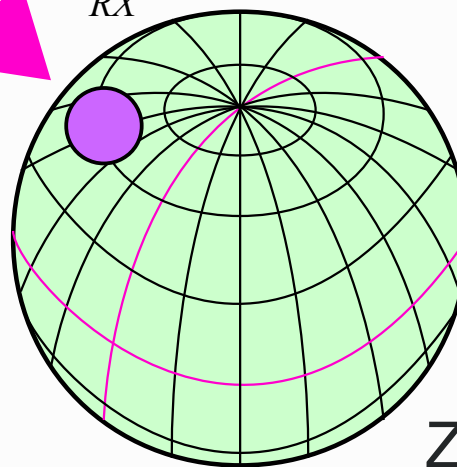
$$\Omega = \frac{4\pi}{D_{TX}} = \frac{\lambda^2}{A_{\text{eff}TX}} \approx 1.56 \cdot 10^{-8} \text{ srd}$$

$$A_{RX} \geq A = \Omega r^2 \approx 25 \text{ km}^2$$

Rectenna

A_{RX}

Nekoherentni
sprejem



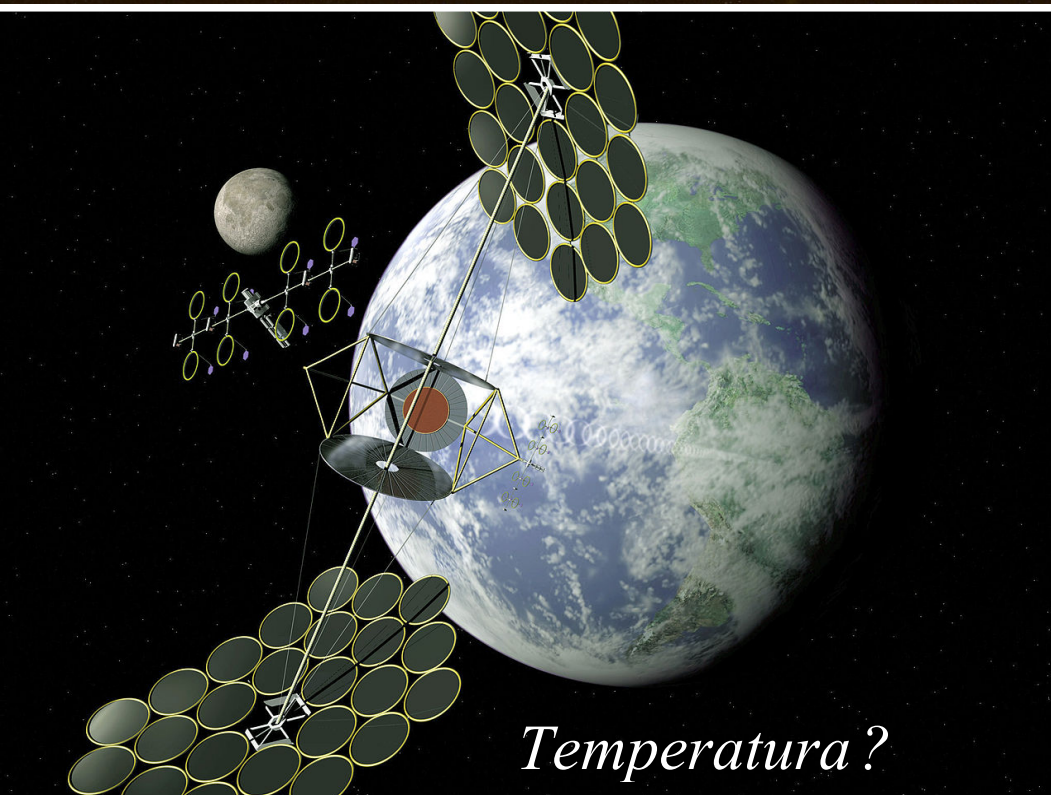
Zemlja



Vrtilna količina ?



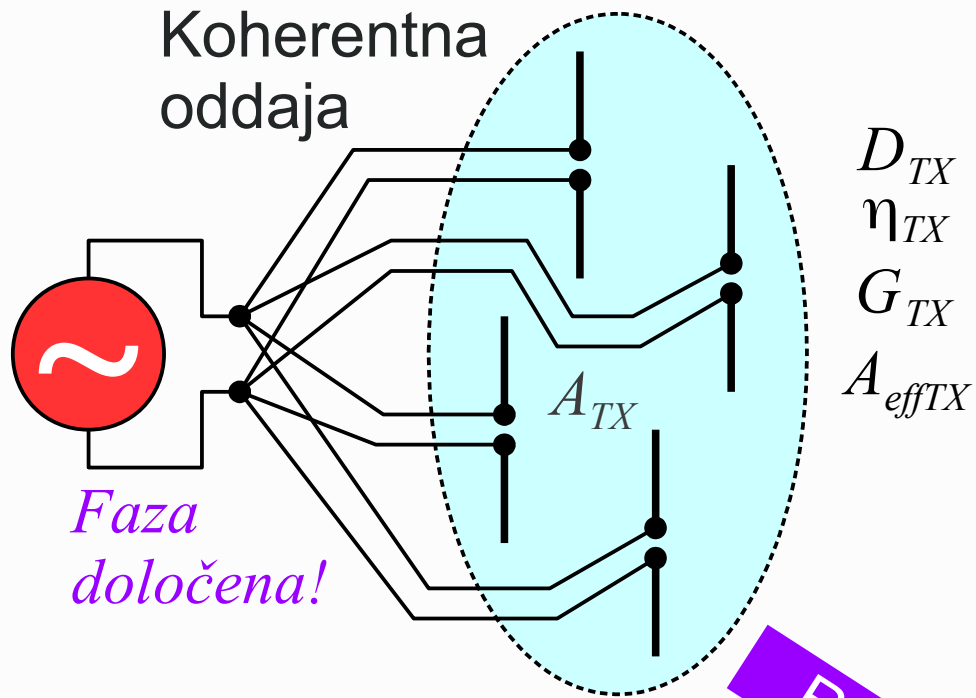
Meteorit ?



Temperatura ?



Nočno nebo ?



$$A_{effTX} = \frac{\lambda^2}{4\pi} D_{TX} = \frac{\lambda^2}{4\pi} \frac{G_{TX}}{\eta_{TX}}$$

$$A_{eff} = A \cdot \eta_0 \equiv \text{efektivna površina}$$

$$\eta_0 \equiv \text{izkoristek osvetlitve}$$

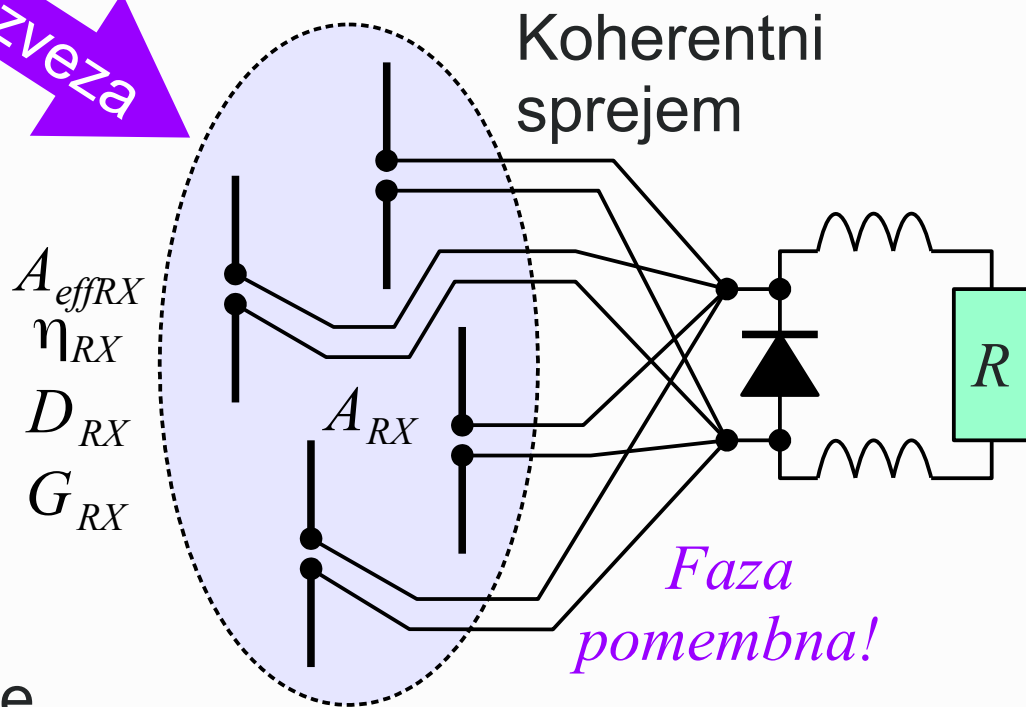
$$\eta_0 \approx 50\% \dots 80\%$$

Recipročnost!

Radijska zveza

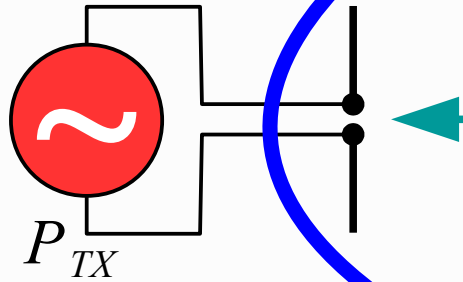
$$D_{RX} = \frac{4\pi}{\lambda^2} A_{effRX}$$

$$G_{RX} = \frac{4\pi}{\lambda^2} A_{effRX} \eta_{RX}$$



Efektivna površina koherentne antene

Koherentna oddaja



D_{TX}
 η_{TX}
 G_{TX}
 A_{effTX}

Prazen prostor

$\mu_0 \quad \epsilon_0$

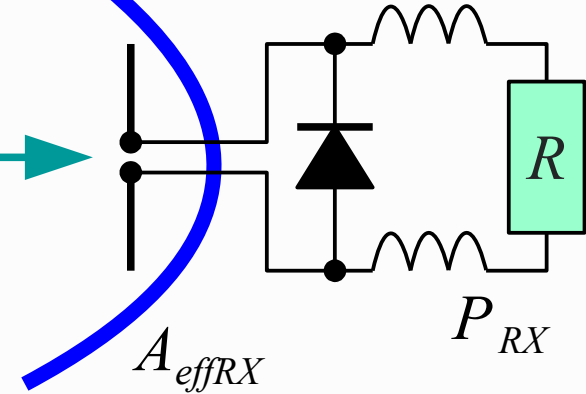
brez izgub!

r (zadosti velik!)

Harald Friis 1945

$$P_{RX} = P_{TX} \frac{\eta_{TX} D_{TX} A_{effRX} \eta_{RX}}{4\pi r^2}$$

Koherentni sprejem



A_{effRX}
 η_{RX}
 D_{RX}
 G_{RX}

Zapis z dobitki anten:

$$P_{RX} = P_{TX} G_{TX} G_{RX} \left(\frac{\lambda}{4\pi r} \right)^2$$

Recipročnost!

Zapis s površinami anten:

$$P_{RX} = P_{TX} \frac{\eta_{TX} A_{effTX} A_{effRX} \eta_{RX}}{\lambda^2 r^2}$$

Friisova enačba za domet koherentne zveze

$$P[\text{dBm}] = 10 \log_{10}(P/1\text{mW}) = P[\text{dBW}] + 30\text{dB}$$

$$P[\text{dBW}] = 10 \log_{10}(P/1\text{W}) = P[\text{dBm}] - 30\text{dB}$$

dBm \equiv dB glede na 1mW

dBW \equiv dB glede na 1W

$$D[\text{dBi}] = 10 \log_{10} D$$

$$G[\text{dBi}] = 10 \log_{10} G$$

dBi \equiv dB glede na neusmerjen (izotropni) vir

$$D[\text{dBd}] = D[\text{dBi}] - 2.15\text{dB}$$

$$G[\text{dBd}] = G[\text{dBi}] - 2.15\text{dB}$$

dBd \equiv dB glede na polvalovni dipol

$$P_{RX}[\text{dBm}] = P_{TX}[\text{dBm}] + G_{TX}[\text{dBi}] + G_{RX}[\text{dBi}] + 20 \log_{10} \lambda[\text{m}] - 20 \log_{10} r[\text{m}] - 21.98\text{dB}$$

$$20 \log_{10}(4\pi) = 21.98\text{dB}$$

Friisova enačba

$$P_{RX} = P_{TX} G_{TX} G_{RX} \left(\frac{\lambda}{4\pi r} \right)^2$$

Slabljenje praznega prostora

$$a[\text{dB}] = 20 \log_{10} \left(\frac{\lambda}{4\pi r} \right)$$

$$P_{RX}[\text{dBm}] = P_{TX}[\text{dBm}] + G_{TX}[\text{dBi}] + G_{RX}[\text{dBi}] - 20 \log_{10} f[\text{MHz}] - 20 \log_{10} r[\text{m}] + 27.55\text{dB}$$

$$\lambda[\text{m}] \approx 299.7 / f[\text{MHz}] \quad (\text{zrak } n \approx 1.0003)$$

Logaritemske merske enote

*Ena od možnih definicij
efektivna dolžina
ali efektivna višina
ali antenski faktor*

$$U_{emf} = \vec{E}_{eff} \cdot \vec{l}_{eff}$$

$U_{emf} [V] \equiv$ napetost odprtih sponk

$\vec{E}_{eff} \left[\frac{V}{m} \right] \equiv$ električna poljska jakost

$\vec{l}_{eff} [m] \equiv$ vektor efektivne dolžine

Gostota moči $|\vec{S}| \left[\frac{W}{m^2} \right] = \frac{|\vec{E}_{eff}|^2}{Z_0}$ $Z_0 = \sqrt{\frac{\mu_0}{\epsilon_0}} \approx 377 \Omega \equiv$ valovna impedanca

Moč sprejema $P_{RX} [W] = |\vec{S}| A_{RX} \eta_{RX}$ $A_{effRX} [m^2] \equiv$ efektivna površina antene
 $\eta_{RX} [\%] \equiv$ električni izkoristek antene

Napetost sprejema $U_{eff} [V] = \sqrt{R_S P_{RX}}$ $R_S = \text{Re}[Z] \equiv$ sevalna upornost antene

Napetost odprtih sponk $U_{emf} [V] = 2 U_{eff} [V]$ $emf \equiv$ electromotive force

Efektivna dolžina antene $\vec{l}_{eff} [m] = \vec{1}_p 2 \sqrt{\frac{R_S A_{effRX} \eta_{RX}}{Z_0}}$ $\vec{1}_p \equiv$ polarizacija antene

Obstajajo še drugačne, nezdružljive definicije efektivne dolžine antene !

Efektivna dolžina antene